



# Unconsciousness reconfigures modular brain network dynamics



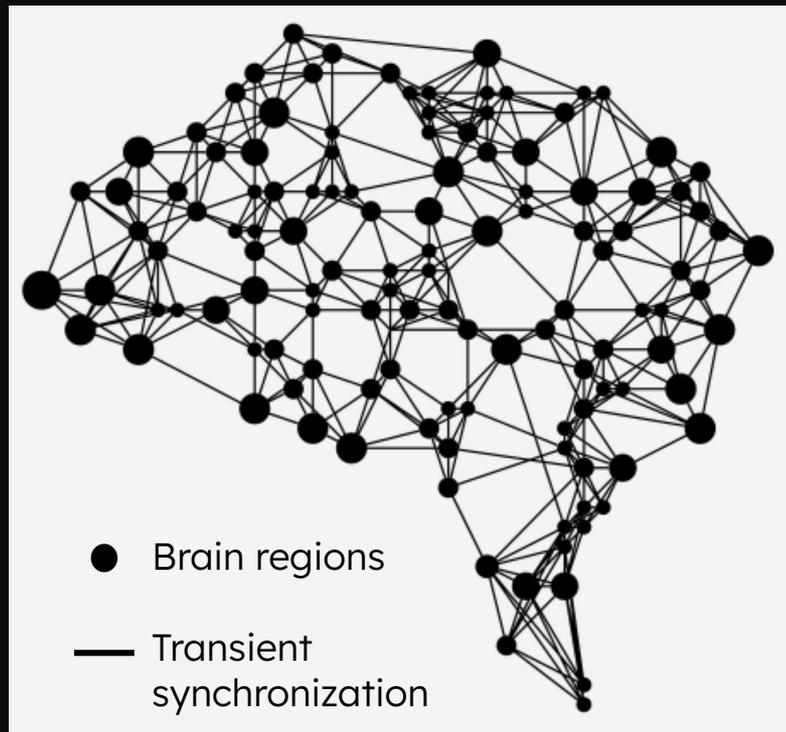
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PhD. advisors and co-authors: Pablo Balenzuela & Enzo Tagliazucchi

**SoPhy Lab** <http://sophy.df.uba.ar>  
**COCUCO Lab** <https://www.cocucolab.org>

 Universidad de Buenos Aires - Exactas  
**departamento de física**

7-10 February 2023,  
Buenos Aires, Argentina.



What should be the **modular structure** of a dynamic **brain network** of a **conscious** person?

# The dynamic core hypothesis

**Conscious experience <-> Neural processes in the human brain**

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Constrained to represent highly integrated brain states

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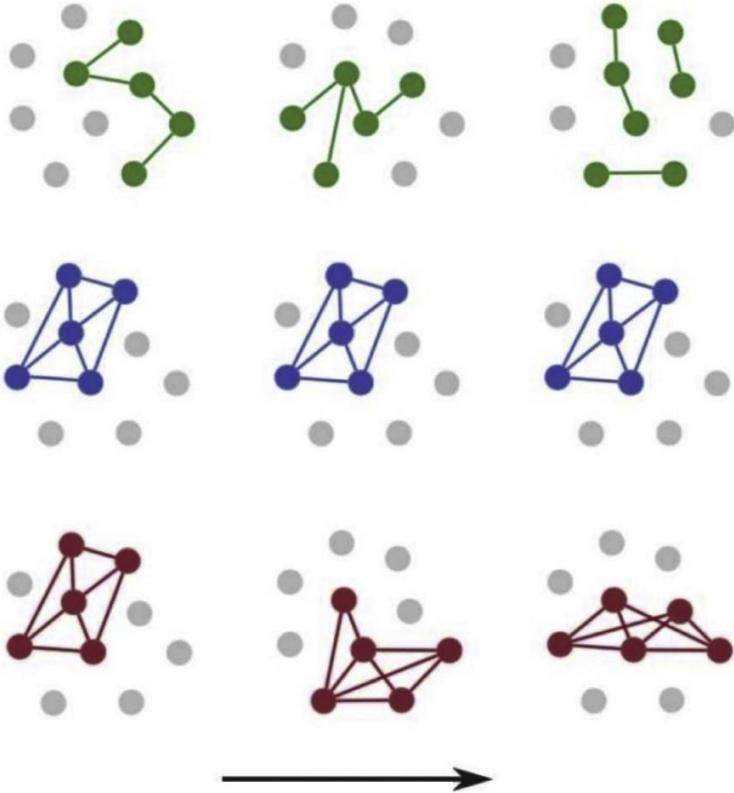


Constrained to represent highly integrated brain states

**The dynamic core consists of a sequence exploring an ample repertoire of highly integrated brain states.**

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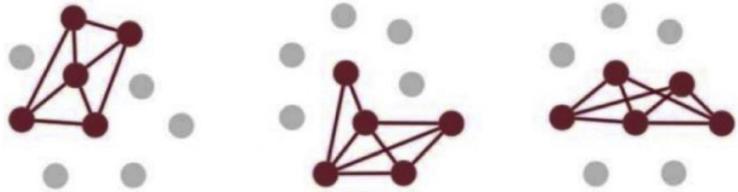
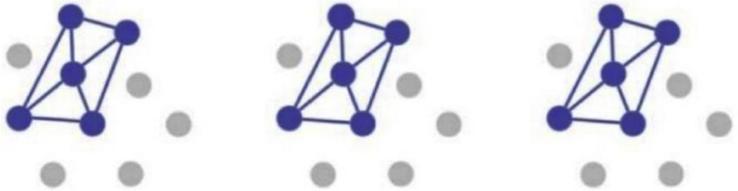
# The dynamic core hypothesis



Differentiated but



integrated (segregated) states.



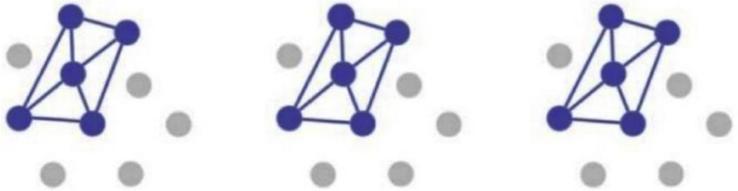
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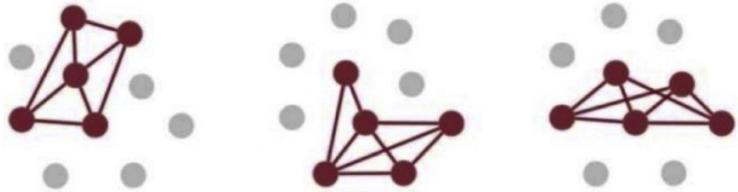
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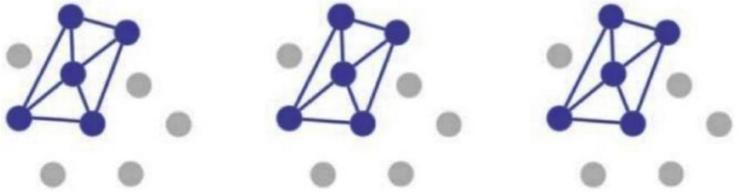
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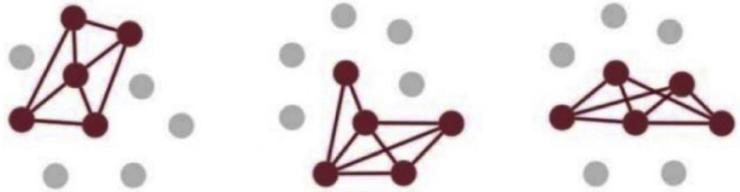
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↑ Differentiated but ↓ integrated (segregated) states.



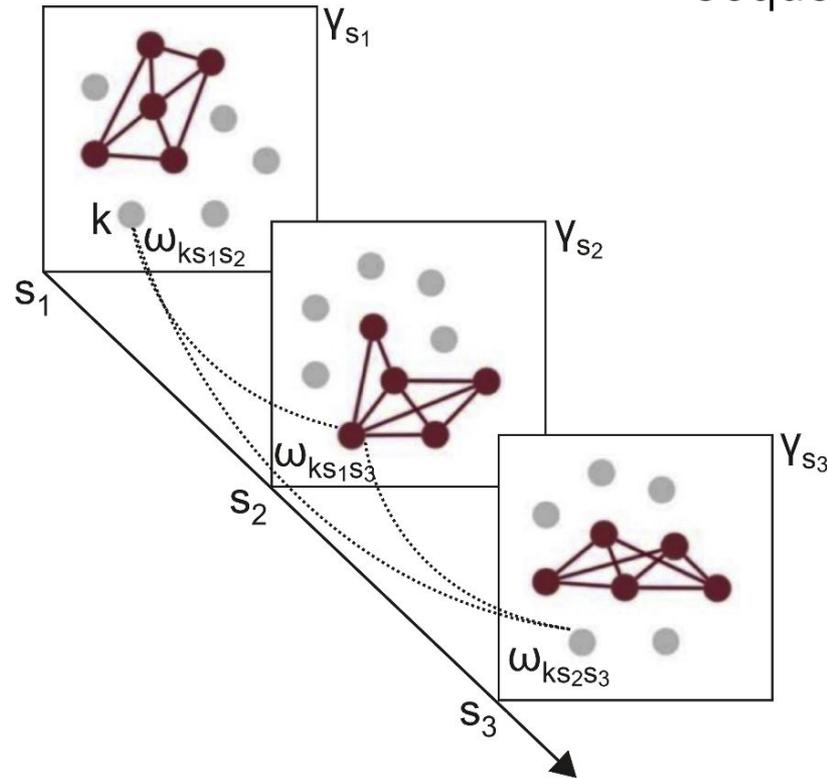
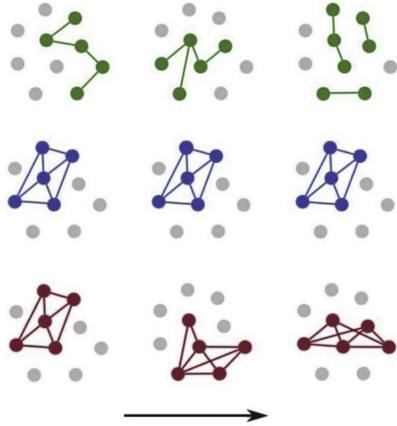
↓ Differentiated but ↑ integrated states.



↑ Different configuration ↑ integrated dynamic core.



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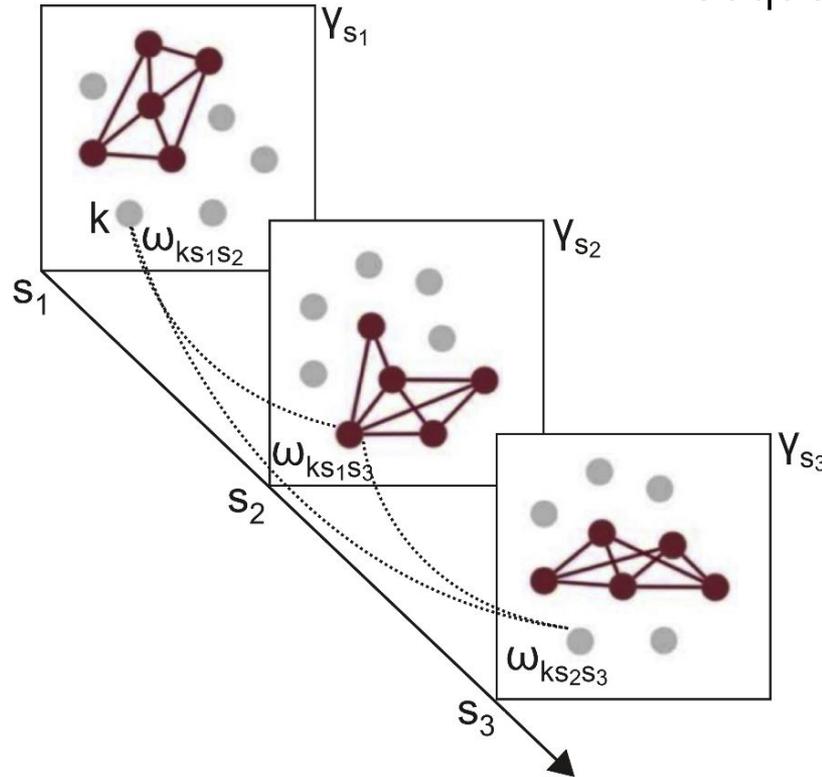
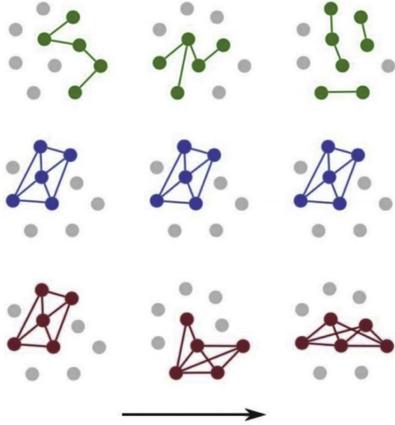


Sequence of brain states



Multilayer network

# The dynamic core hypothesis



Sequence of brain states

Multilayer network

**DYNAMIC CORE**

Time-dependent community.

Despite previous research, the **relationship** between **consciousness** and the **modular structure** of multilayer **brain networks** remains to be investigated.

# What did we do?

1. We constructed **multilayer connectivity networks** from **fMRI** recordings acquired **during states of reduced consciousness**: under propofol anesthesia and deep sleep.

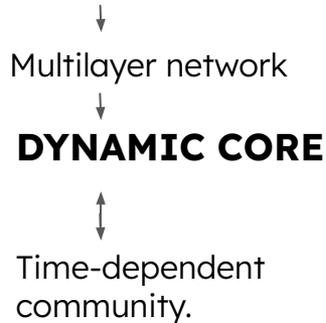
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- II. **Human NREM sleep**: fMRI data from 63 subjects acquired during wakefulness (**W**), 27 during **N1** sleep, 33 during **N2** sleep and 17 during **N3** sleep\* .

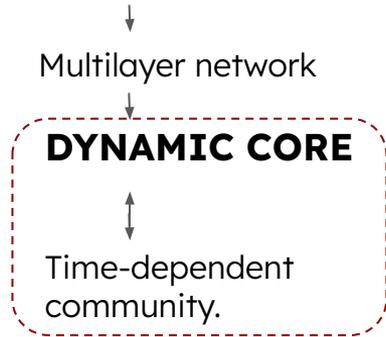
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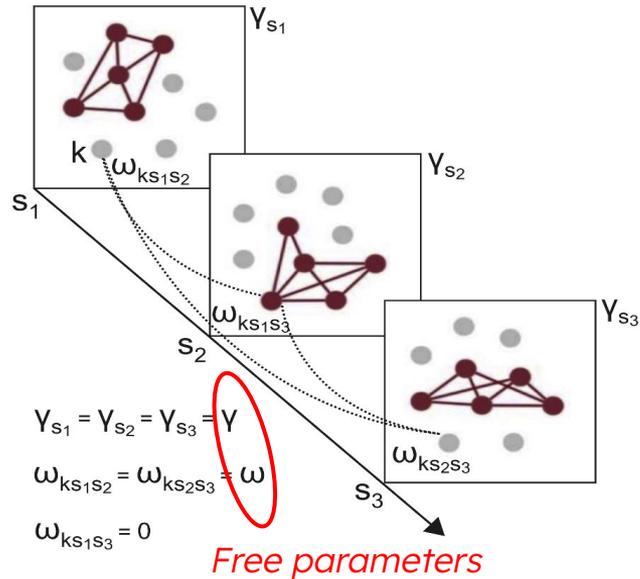
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Time-dependent community detection → Using the **multilayer Louvain algorithm** \*\*

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$\gamma$  -> Characteristic size of the detected modules

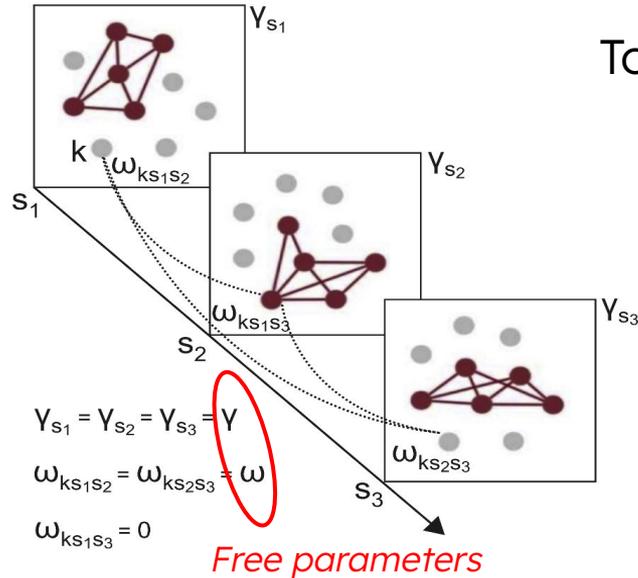
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To find the **optimal parameters** of this algorithm:

We developed a **benchmark** for module detection in heterogeneous temporal networks.



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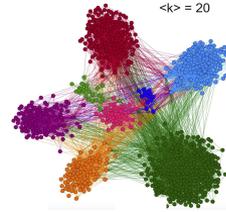
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# Benchmark for time-dependent module detection

- Static benchmark \* :
  - Scale-free degree distributions
  - Scale-free module size distributions.



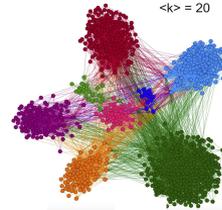
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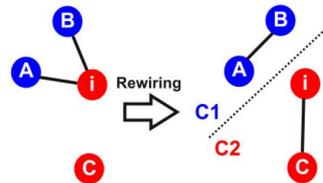
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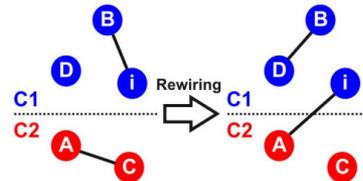


- Temporal evolution on this based on two different dynamic processes\*\*:
  - Division of communities.
  - Contraction of communities.

Division



Contraction



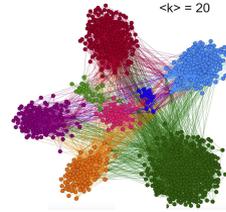
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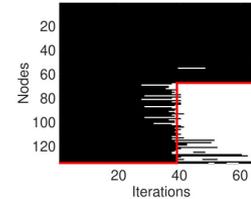
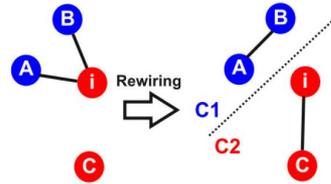
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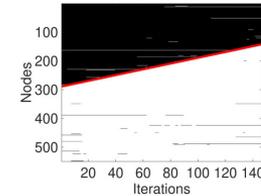
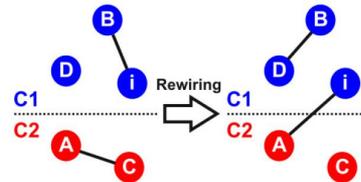


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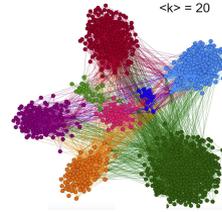
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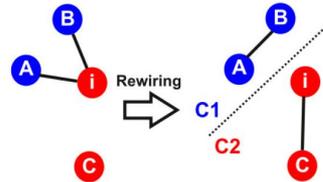
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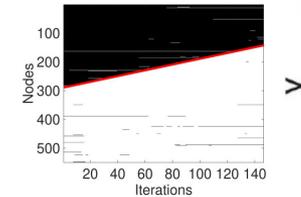
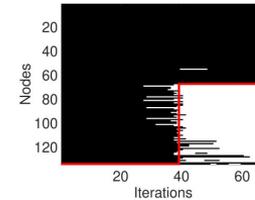
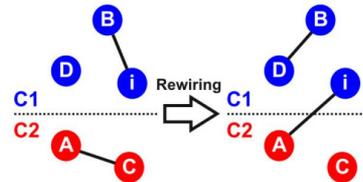
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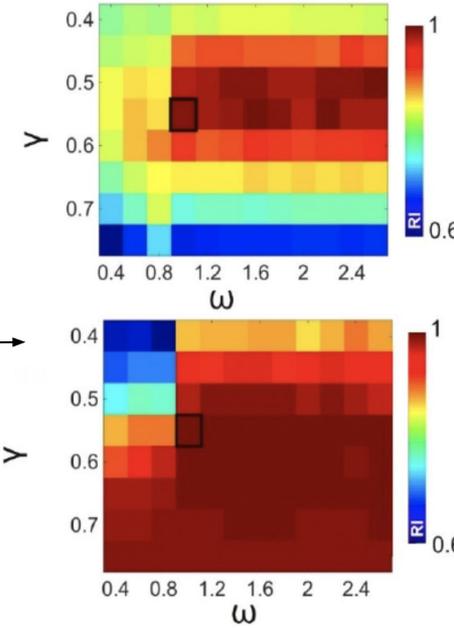
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Optimal parameters  
 $\gamma = 0.55$  and  $\omega = 1$



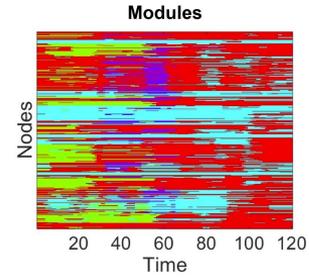
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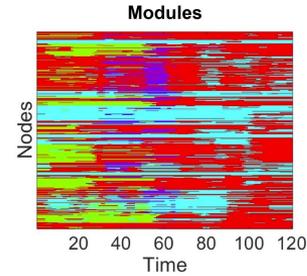
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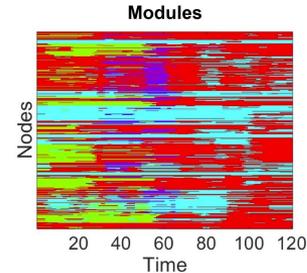
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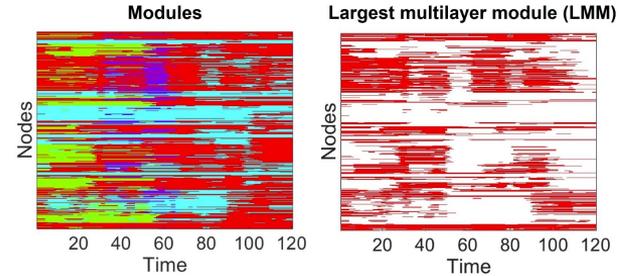
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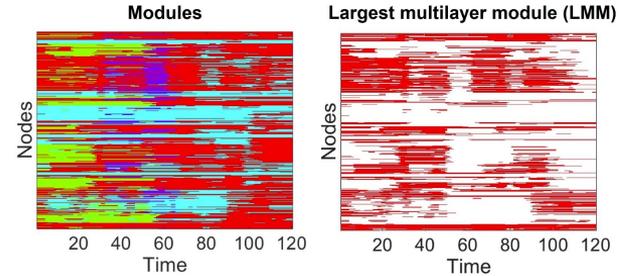
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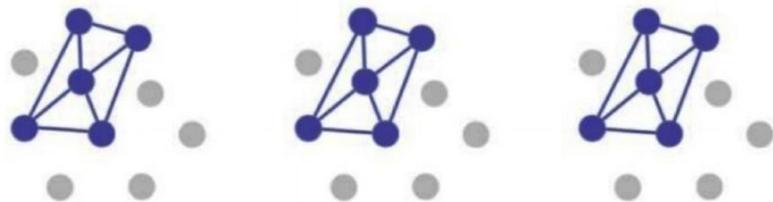
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- **Flexibility**, which we interpreted as the degree of **differentiation of the dynamic core**.

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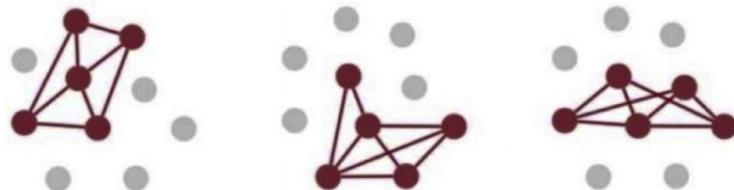


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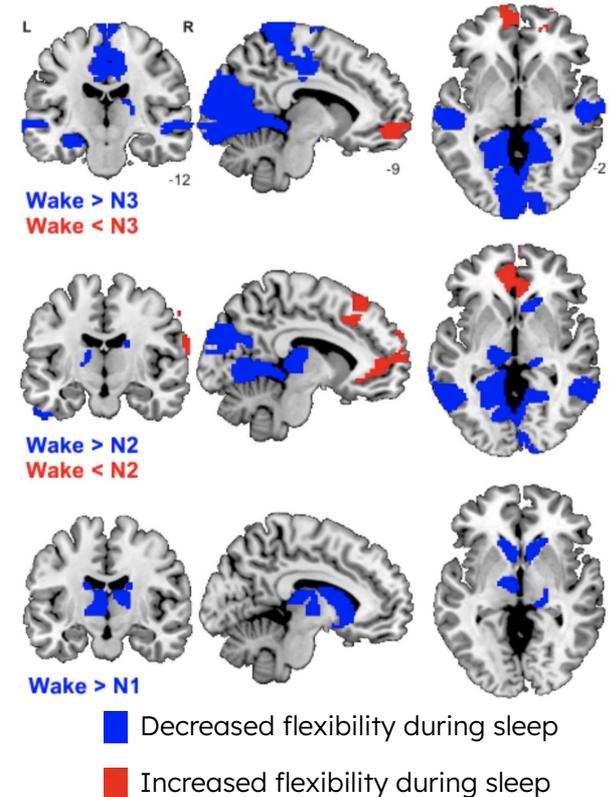


<  
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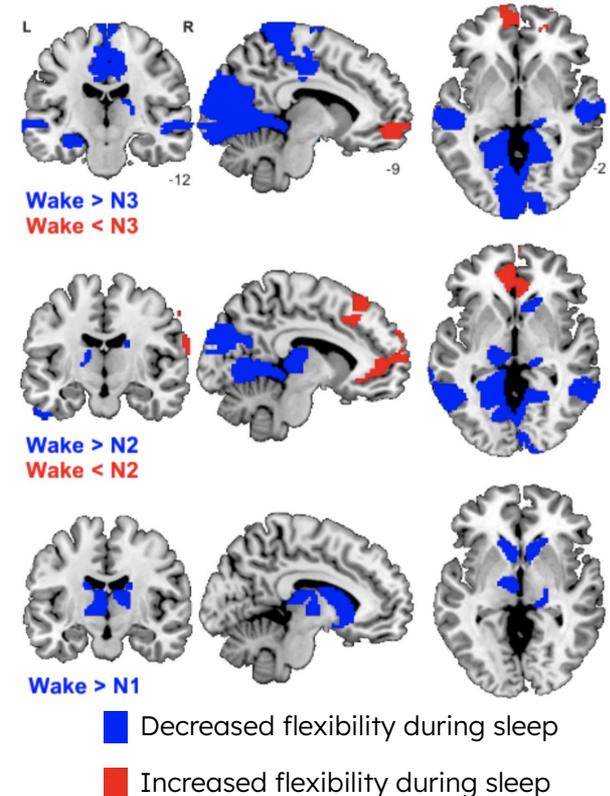
### Flexibility (LMM) during Wake vs. sleep stages



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Majority of nodes **decreased their flexibility during sleep** -> In regions related to sensory perception.

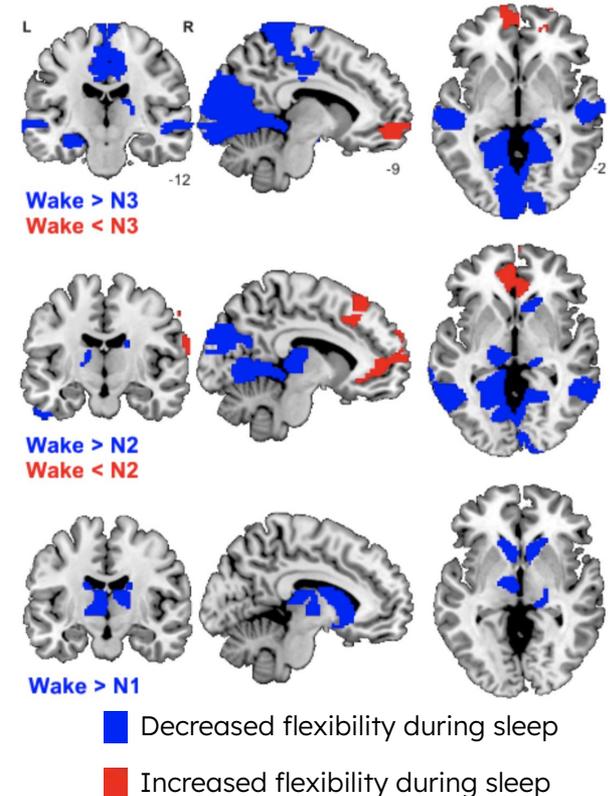
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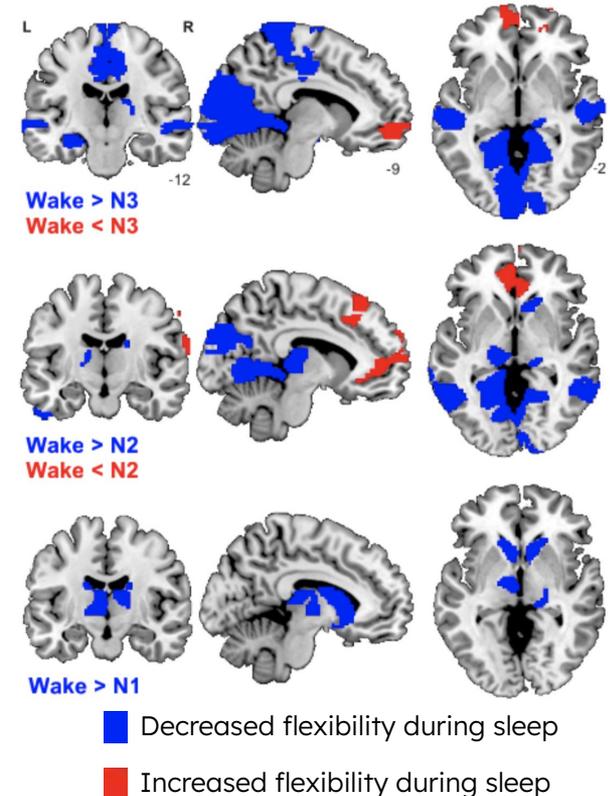


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Conversely, flexibility increased during sleep only in **frontal regions** associated with higher cognitive functions, with the strongest increases seen during N3 sleep.

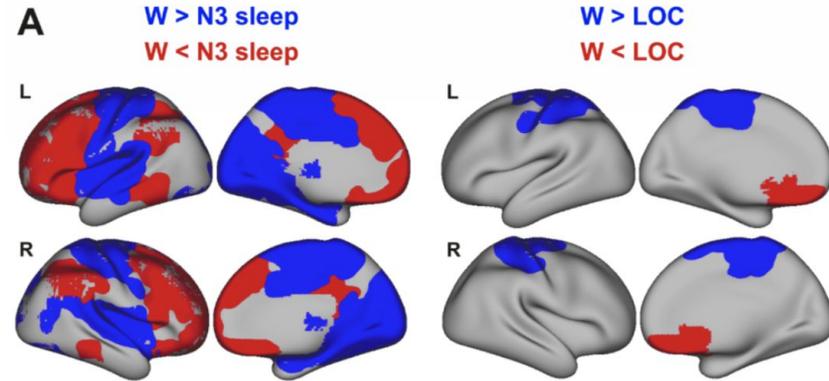
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**A:** Significant differences in the regional **probability of belonging to the largest multilayer module (LMM)** for wakefulness vs. N3 sleep (left) and vs. LOC.

While changes were more widespread and significant during N3 sleep, LOC was also associated with decreases in sensorimotor regions, and increases in frontal regions

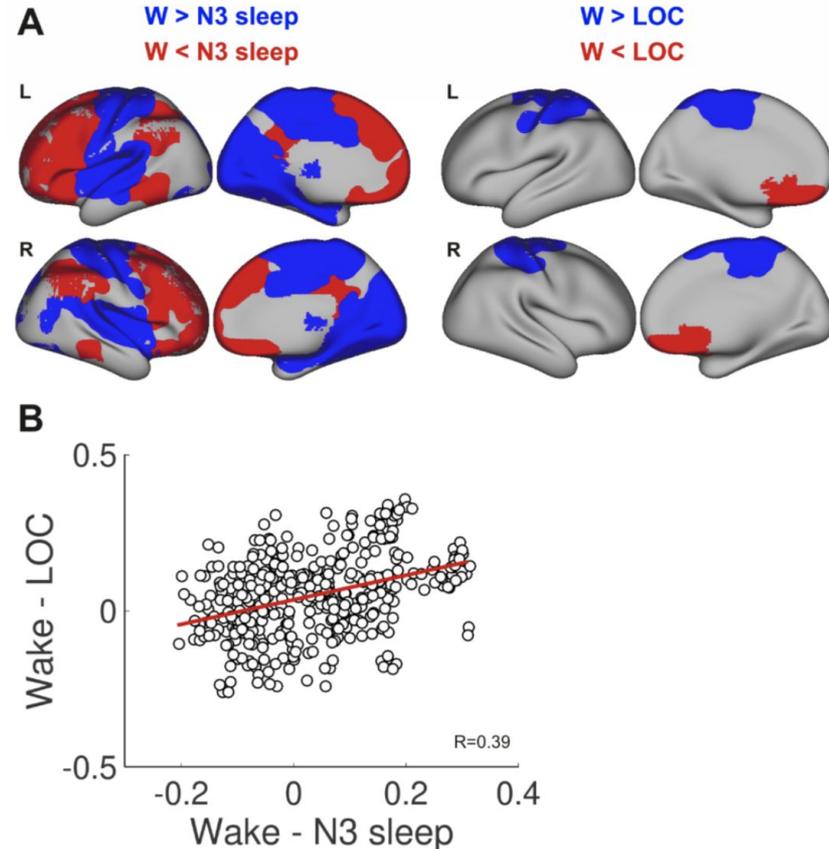


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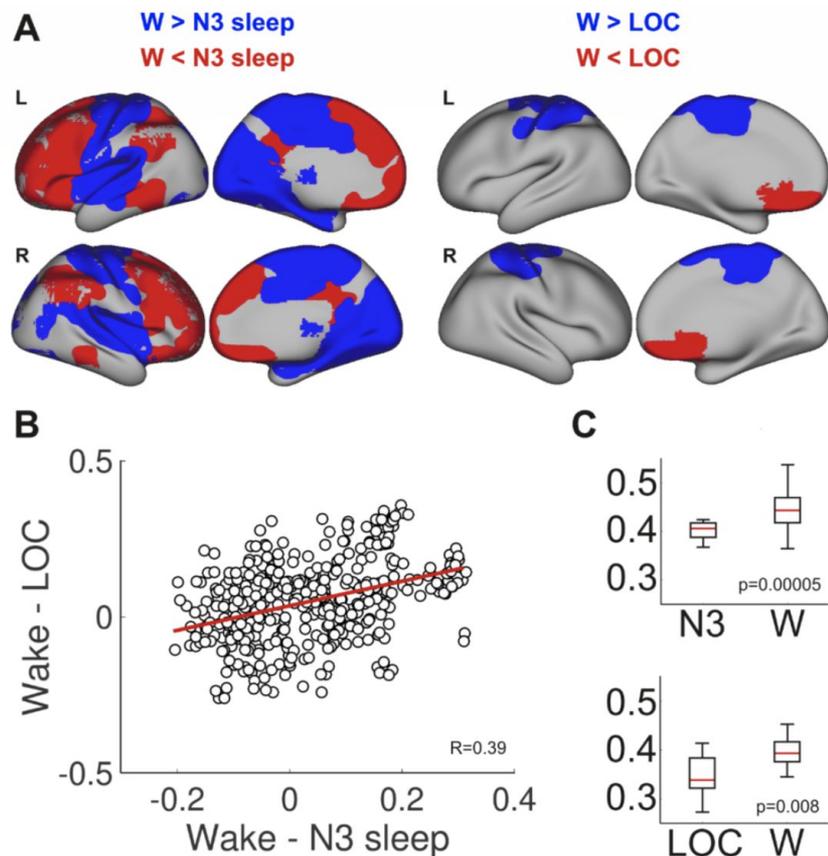
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**C:** Boxplots for the normalized size of the largest multilayer module. In both cases (N3 sleep and LOC), the **LMM decreased in size** during loss of consciousness.



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- Future studies should assess whole-brain dynamics simultaneously with **different methods** to understand whether the dynamic core fluctuates over **scales inaccessible to fMRI**, and whether these fluctuations are manifest at the behavioral and cognitive levels.

Thank you!

# Unconsciousness reconfigures modular brain network dynamics <sup>F</sup>

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## COLLECTIONS

<sup>F</sup> This paper was selected as Featured



Thank you!



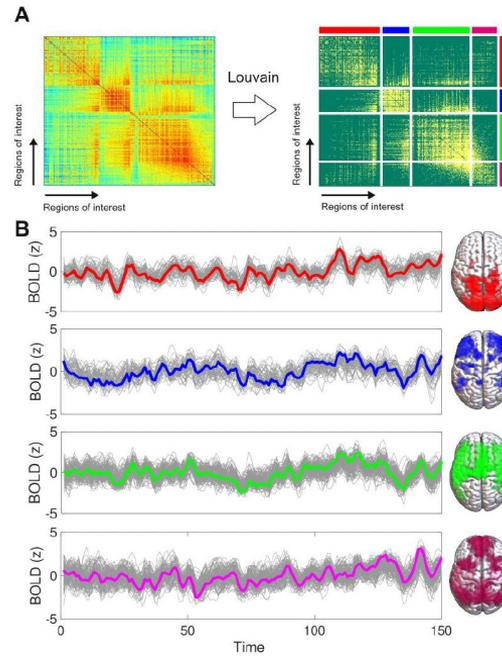
Pablo Balenzuela

Me

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# Appendix

# fMRI time series and communities



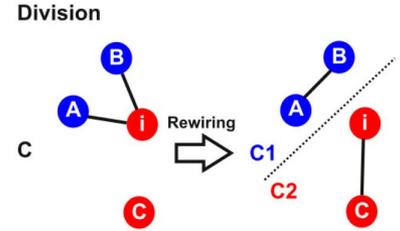
**Figure S1.** A) Example functional connectivity matrix before (left) and after (right) thresholding. The right panel shows the modular structure of the network, obtained using the Louvain algorithm. B) Example time series associated with different functional modules. Grey lines represent time series from each individual ROI in the module and colored lines indicate the mean time series. The anatomical distributions of the modules are shown on the right.

# Time-dependent benchmark algorithm

## *Null model based on division of communities: Division*

We start from a network with  $N$  nodes and apply the following steps:

1. A module named  $C$ , sufficiently large for the division into smaller sub-modules, is chosen at random.
2. The nodes belonging to  $C$  are assigned to two sub-modules,  $C1$  and  $C2$ . A fraction  $x$  of the nodes in  $C$  belongs to  $C1$ , and  $(1 - x)$  belongs to  $C2$ .
3. For each node  $i$  in  $C2$ , we apply the following steps:
  - (a)  $\mu_{21i}$  of node  $i$  is calculated as:
$$\mu_{21i} = \frac{\text{\#Links with C1 nodes}}{\text{\#Total links}}$$
  - (b) A mixing parameter between communities is chosen per node,  $\mu_{12}$ .
  - (c) While  $\mu_{21i} > \mu_{12}$  nodes  $a$ ,  $b$  and  $c$  are searched such that they meet the conditions set forth in the division step presented in the rewiring scheme: node  $a$  and node  $b$  belong to  $C1$  and are connected to node  $i$ , node  $c$  belongs to  $C2$  and is not connected to node  $i$ .
  - (d) The link between node  $i$  and node  $b$  is deleted and a new link is created connecting it to node  $a$ . This is repeated until there are no more nodes  $a$ ,  $b$  and  $c$  meeting these conditions or until  $\mu_{21i} < \mu_{12}$ . The rewiring scheme is presented in the rewiring scheme.
  - (e) The final adjacency sub-matrix is saved as the dynamic network at time  $t = i$ .



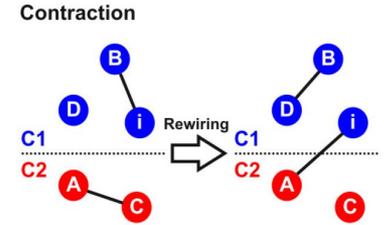
*The combination of these two processes allowed us to represent the most frequent behaviours seen in the dynamics of brain real modular systems \*\*\**

# Time-dependent benchmark algorithm

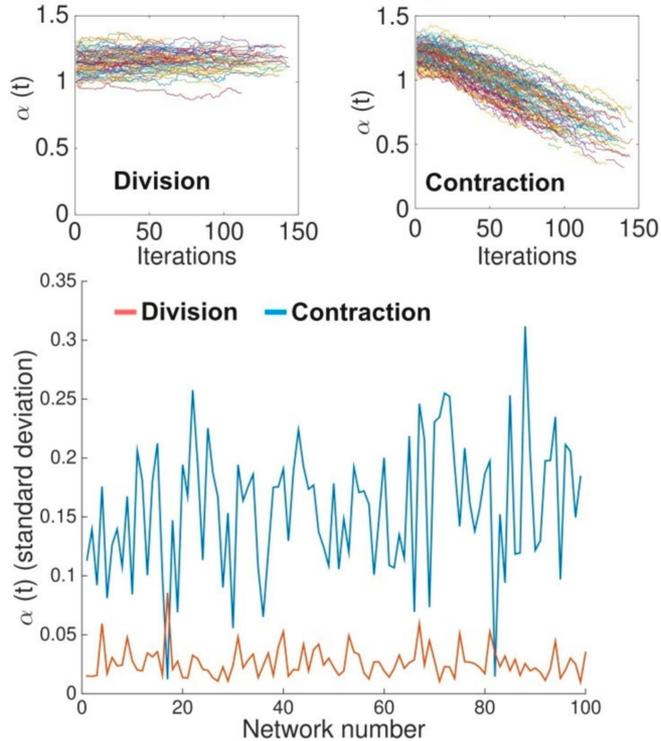
## *Null model based on expansion-contraction of communities: Contraction*

It is an algorithm that selects two random modules from a certain complex network with N nodes, and then grows the size of one module at the expense of the other. The steps are as follows:

1. Two modules C1 and C2 are chosen at random.
2. The adjacency matrix is reordered so that the two modules appear consecutively. The adjacency sub-matrix containing modules C1 and C2 is selected.
3. C1 nodes are re-tagged and rewired, changing their membership to C2: Let  $n_1$  be the number of C1 nodes, ranging from 1 to the  $X - th$  node of C1, where X is the integer part of  $n_1x$ . The following steps are applied to each node  $i$  of this set:
  - (a)  $\mu_{12i}$  of node  $i$  is calculated as,  
$$\mu_{12i} = \frac{\#Links\ with\ C2\ nodes}{\#Total\ links}$$
  - (b) A mixing parameter between modules is chosen per node,  $\mu_{12}$
  - (c) While  $\mu_{12i} > \mu_{12}$ , nodes a, b, c and d are searched such that they meet the conditions set forth in the rewiring scheme.
  - (d) The link from node  $i$  to node b is deleted, and a new link is created between node  $i$  and node a. This is repeated until there are no more nodes a and b fulfilling these conditions, or until  $\mu_{12i} < \mu_{12}$ .
  - (e) Node  $i$  is removed from C1 and added to C2.
  - (f) The average degree of intercommunity links of C2 nodes ( $\langle k_{iC2} \rangle$ ) and the degree of node  $i$  ( $k_i$ ) are calculated.
  - (g) While  $k_i < \langle k_{iC2} \rangle$  pairs of nodes whose C2 intramodular degrees are between  $\langle k_{iC2} \rangle$  and  $k_{max}$  are selected. The links between those nodes are deleted, and new links between node  $i$  and other nodes in C2 with  $k < \langle k_{iC2} \rangle$  are added.
  - (h) The final adjacency sub-matrix is saved as the dynamic network at time  $t = i$ .



# Time-dependent benchmark algorithm



The coefficient of the power law for the degree distribution,  $\alpha(t)$ , and the standard deviation of for both dynamics vs time.

# Louvain method for community detection implemented in MATLAB

We consider a multilayer network with adjacency matrix given by  $A_{ijs}$ , where  $i$  and  $j$  index the network node and  $s$  indexes the layer, which is here interpreted as a temporal dimension. Given a certain partition, its multilayer modularity ( $Q$ ) is computed as

$$Q = \frac{1}{2\mu} \sum_{ijrs} \left[ \left( A_{ijs} - \gamma_s \frac{k_{is}k_{js}}{2m_s} \delta_{sr} \right) + \delta_{ij} \omega_{jrs} \right] \delta(g_{is}, g_{jr}),$$

where  $k_{js} = \sum_i A_{ijs}$ ,  $\mu = \frac{1}{2} \sum_{jr} (k_{jr} + \sum_s \omega_{jrs})$ , and  $m_s = \sum_j k_{js}$  and  $\delta(g_{is}, g_{jr})$  equals 1 if node  $i$  of layer  $s$  belongs to the same module as node  $j$  of layer  $r$ .  $\gamma_s$  is the resolution parameter for layer  $s$ , and  $\omega_{jrs}$  represents the interlayer connectivity of node  $j$  between layers  $r$  and  $s$ . Here, we consider the same  $\gamma_s$  for all layers and  $\omega_{jrs} \neq 0$  only if  $r$  and  $s$  are consecutive layers; furthermore, all non-zero entries of  $\omega_{jrs}$  are equal.



## Regional probability of belonging to the thalamic module

### **Regional probability of belonging to the thalamic module**

We computed the regional probability of belonging to the same module as the bilateral thalamus ROI:

$$P_i = \frac{\# \left\{ t : M_i(t) = C(t) \right\}}{T}$$

Here  $P_i$  is the probability of finding the  $i$ -th region in the same module as the thalamus,  $M_i(t)$  is the module assignment of region  $i$  at time  $t$ ,  $C(t)$  is the module assignment of the thalamic regions at time  $t$ , and  $T$  is the total time is the number of time points considered for the analysis (in our case, 120).